Card Collection

JOI-kun is enthusiastic about collecting cards in a card game. Each card in the card game has two integers representing its strength and cost. To obtain a new card, JOI-kun brings N cards to a card exchange. Each card is numbered from 1 to N. The strength of card i ($1 \leq i \leq N$) is S_i and the cost of card i is V_i.

There are two machines available in the card exchange. If you insert two cards, A and B, into one of the machines, you will be able to receive any card C satisfying the following conditions.

- If you use the first machine, then the strength of C must be equal to the *maximum* of the strength of A and B, and the cost of C must be equal to the *maximum* of the cost of A and B.
- If you use the second machine, then the strength of C must be equal to the *minimum* of the strength of A and B, and the cost of C must be equal to the *minimum* of the cost of A and B.

JOI-kun plans to use the machines exactly $N - 1$ times to obtain a new card. To do this, he lines up the N cards in a row from card 1 to card N. He then repeats the following operation $N - 1$ times.

> Choose two adjacent cards, exchange them with a new card using one of the machines, and place the new card where the chosen two cards were in the row before the operation.

After performing $N-1$ operations, JOI-kun will have only one card left. The strength and cost of this card will depend on the operations he performs. JOI-kun has a list of M cards that he wants to obtain after performing $N - 1$ operations. The j-th card ($1 \leq j \leq M$) is represented by a pair of integers (T_j, W_j), where T_j is the strength and W_j is the cost of the j-th card. Write a program that, given information about JOI-kun's cards and the list of cards he wants to obtain, determines all the cards in the list that he can obtain after performing $N - 1$ operations.

Input

Read the following data from the standard input.

$N\ M$
$S_1\ V_1$
$S_2\ V_2$
$\vdots$
$S_N\ V_N$
$T_1\ W_1$
$T_2\ W_2$
$\vdots$
$T_M\ W_M$

Output

Write one line to the standard output. The output should contain the indices of all the cards in the list that JOI-kun can obtain after performing $N - 1$ operations in increasing order.

Constraints

- $2 \leq N \leq 200\,000$.
- $1 \leq M \leq 200\,000$.
- $1 \leq S_i \leq 10^9$ $(1 \leq i \leq N)$.
- $1 \leq V_i \leq 10^9$ $(1 \leq i \leq N)$.
- $1 \leq T_j \leq 10^9$ $(1 \leq j \leq M)$.
- $1 \leq W_j \leq 10^9$ $(1 \leq j \leq M)$.
- Given values are all integers.

Subtasks

1. (11 points) $N \leq 20$, $M \leq 10$.
2. (38 points) $N \leq 2\,000$, $M \leq 10$.

3. (22 points) $M \leq 10$.
4. (29 points) No additional constraints.

Sample Input and Output

Sample Input 1	Sample Output 1
5 3 1 3 2 2 4 4 1 3 1 1 2 3 2 1 4 4	1 3

For example, JOI-kun can obtain a card with strength 2 and cost 3 in the following way.

1. Exchange card 4 and card 5 for a card with strength 1 and cost 1.
2. Exchange card 3 and the card received in the first operation for a card with strength 1 and cost 1.
3. Exchange card 1 and card 2 for a card with strength 2 and cost 3.
4. Exchange the cards received in the second and third operations for a card with strength 2 and cost 3.

Note that JOI-kun needs to perform the last operation even if he receives a card with strength 2 and cost 3 in the third operation. Even if he receives a certain card after some number of operations, it may not be possible to obtain it after performing $N - 1$ operations.

This sample input satisfies the constraints of all the subtasks.

Sample Input 2	Sample Output 2
2 2 1 1 2 2 1 2 2 1	

As in this sample output, you should output an empty line if it is impossible to obtain any card in the list after $N - 1$ operations.

This sample input satisfies the constraints of all the subtasks.

Sample Input 3	Sample Output 3
8 8 5 2 4 4 1 3 7 8 3 1 8 7 6 5 2 6 1 4 7 2 8 8 3 1 5 6 2 7 6 3 2 5	3 4 5 8

This sample input satisfies the constraints of all the subtasks.