Task Set

In the popular card game SET, the player's goal is to identify a certain triplet of cards with some special properties, called a set. Each card shows some figures, which differ in number, shape, transparency and color.



Marin and Josip have recently bought a deck of these cards and now they can't stop playing. They've become so skilled at noticing *sets* that it soon became boring that the cards are determined by only four properties. Thus, they have decided to have fun with a generalized version of the game.

At their disposal is a deck of n different cards. Each card is represented by a sequence of k characters, each being one of 1, 2 or 3. The order of the cards in the deck does not matter.

An unordered triplet of cards is called a set if for each of the k positions, the three characters corresponding to the three cards are either the same or pairwise different. For example, three cards represented by 1123, 1322 and 1221 make a set because all of the characters in the first and third positions are the same (1 and 2 respectively), and the characters in the second and fourth positions are different (1, 2 and 3 in some order).

While looking at these n cards on the table, they started to wonder: how many unordered triplets of these n cards make a set. Write a program which will answer their question.

Input

The first line contains the integers n and k - the number of cards in the deck and the number of properties of a single card, respectively.

Each of the following n lines contains a sequence of k characters representing a card. Each character is one of 1, 2 or 3. Different lines contain different sequences of characters.

Output

In the only line, print the number of unordered triplets which form a set.

Scoring

In every subtask, it holds that $1 \le k \le 12$ i $1 \le n \le 3^k$.

Subtask	Points	Constraints
1	10	$1 \le k \le 5$
2	30	$1 \le k \le 7$
3	70	1 < k < 12

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Examples

input	input	input
3 4	2 2	5 3
1123	11	111
1322	22	222
1221		333
	output	123
output	0	132
1		output
		2

Clarification of the third example:

The two sets are 111, 222, 333 and 111, 123 i 132.