

A number is **perfect** if it is equal to the sum of its divisors, the ones that are smaller than it. For example, number 28 is perfect because  $28 = 1 + 2 + 4 + 7 + 14$ .

Motivated by this definition, we introduce the metric of **imperfection** of number  $N$ , denoted with  $f(N)$ , as the absolute difference between  $N$  and the sum of its divisors less than  $N$ . It follows that perfect numbers' imperfection score is 0, and the rest of natural numbers have a higher imperfection score. For example:

- $f(6) = |6 - 1 - 2 - 3| = 0$ ,
- $f(11) = |11 - 1| = 10$ ,
- $f(24) = |24 - 1 - 2 - 3 - 4 - 6 - 8 - 12| = |-12| = 12$ .

Write a programme that, for positive integers  $A$  and  $B$ , calculates the sum of imperfections of all numbers between  $A$  and  $B$ :  $f(A) + f(A + 1) + \dots + f(B)$ .

### INPUT

The first line of input contains the positive integers  $A$  and  $B$  ( $1 \leq A \leq B \leq 10^7$ ).

### OUTPUT

The first and only line of output must contain the required sum.

### SAMPLE TESTS

**input**

1 9

**output**

21

**input**

24 24

**output**

12

**Clarification of the first test case:**  $1 + 1 + 2 + 1 + 4 + 0 + 6 + 1 + 5$ .