Spring cleaning

Spring cleanings are probably the most boring parts of our lives, except this year, when Flóra and her mother found a dusty old tree graph under the carpet.

This tree has N nodes (numbered from 1 to N), connected by $N-1$ edges. The edges gathered too much dust, so Flóra's mom decided to clean them.

Cleaning the edges of an arbitrary tree is done by repeating the following process:
She chooses 2 different leaves (a node is a leaf if it is connected to exactly one other node by an edge), and cleans every edge lying on the shortest path between them. If this path has d edges, then the cost of cleaning this path is d.

She doesn't want to harm the leaves of the tree, so she chooses every one of them **at most once**. A tree is cleaned when all of its edges are cleaned. The cost of this is the sum of costs for all cleaned paths.

Flóra thinks the tree they found is too small and simple, so she imagines Q variations of it. In the i-th variation, she adds a total of D_i extra leaves to the **original** tree: for each new leaf, she chooses a node from the **original** tree, and connects that node with the new leaf by an edge. Note that some nodes may stop being leaves during this step.

For all these Q variations, we are interested in the minimum cost that is required to clean the tree.

Input

The first line contains two space-separated integers, N and Q.

Each of the next $N-1$ lines contains two space-separated integers u and v, denoting that nodes u and v are connected by an edge.

The next Q lines describe the variations: the first integer in the i-th line is D_i. Then D_i space-separated integers follow: if the j-th number is a_j, it means that Flóra adds a new leaf to the node a_j. We may add more than one leaf to the same node.

After each variation, Flóra restarts and adds extra leaves to the **original** tree.

Output

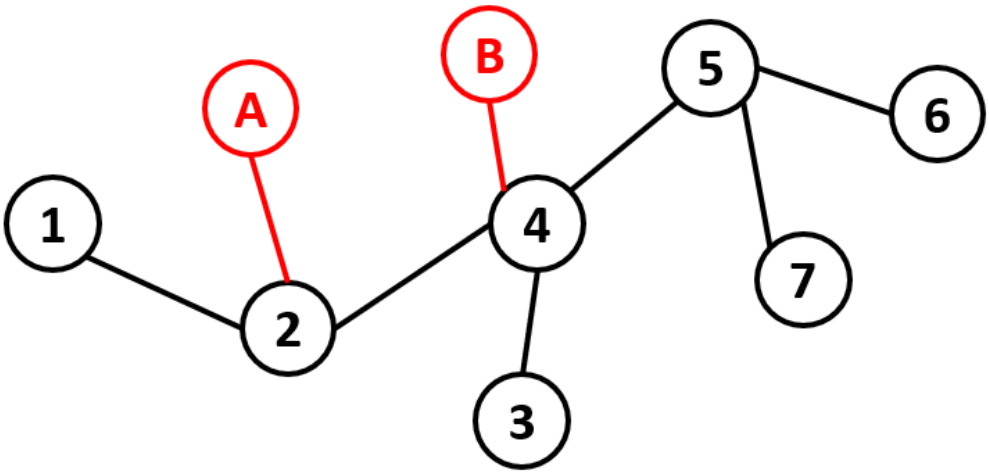
You should print Q lines. In the i-th line print a single integer: the minimum cost required to clean the i-th variation of the tree. If the tree cannot be cleaned, print -1.

Examples

Input	*Output*
7 3 1 2 2 4 4 5 5 6 5 7 3 4 1 4 2 2 4 1 1	-1 10 8

Explanation

The following picture shows the second variation.
A possible solution is to clean the path between leaves $1-6$, $A-7$ and $B-3$.



Constraints

$3 \leq N \leq 10^5$
$1 \leq Q \leq 10^5$
$1 \leq u, v \leq N$
$1 \leq D_i \leq 10^5$ for all i
$\sum_{i=1}^{Q} D_i \leq 10^5$
$1 \leq a_j \leq N$ for all j in every variation

Time limit: 0.3 s

Memory limit: 128 MiB

Grading

Subtask	Points	Constraints
1	0	sample
2	9	$Q = 1$, there is an edge between node 1 and i for every i $(2 \leq i \leq N)$ Flóra doesn't add any extra leaves to node 1
3	9	$Q = 1$, there is an edge between node i and $i + 1$ for all i $(1 \leq i < N)$ Flóra doesn't add any extra leaves to node 1, nor node N
4	16	$N \leq 20000$ and $Q \leq 300$
5	19	the original tree is a perfect binary tree rooted at node 1 (i.e. each internal node has exactly 2 children, and every leaf has the same distance from the root)
6	17	$D_i = 1$ for all i
7	30	no additional constraints