We are given a tree[1] with N nodes denoted with different positive integers from 1 to N.
Additionally, you are given M node pairs from the tree in the form of $(a_1, b_1), (a_2, b_2), \ldots, (a_M, b_M)$.
We need to direct each edge of the tree so that for each given node pair (a_i, b_i) there is a path from a_i to b_i or from b_i to a_i. How many different ways are there to achieve this?
Since the solution can be quite large, determine it modulo $10^9 + 7$.

INPUT

The first line of input contains the positive integers N and M ($1 \le N, M \le 3 \cdot 10^5$), the number of nodes in the tree and the number of given node pairs, respectively.
Each of the following $N - 1$ lines contains two positive integers, the labels of the nodes connected with an edge.
The i^{th} of the following M lines contains two different positive integers a_i and b_i, the labels of the nodes from the i^{th} node pair. All node pairs will be mutually different.

OUTPUT

You must output a single line containing the total number of different ways to direct the edges of the tree that meet the requirement from the task, modulo $10^9 + 7$.

SCORING

In test cases worth 20% of total points, the given tree will be a chain. In other words, node i will be connected with an edge to node $i + 1$ for all $i < N$.
In additional test cases worth 40% of total points, it will hold $N, M \le 5 \cdot 10^3$.

SAMPLE TESTS

input

```
4 1
1 2
2 3
3 4
2 4
```

output

```
4
```

input

```
7 2
1 2
1 3
4 2
2 5
6 5
5 7
1 7
2 6
```

output

```
8
```

input

```
4 3
1 2
1 3
1 4
2 3
2 4
3 4
```

output

```
0
```

[1] *A tree* is a graph that consists of N nodes and $N - 1$ edges such that there exists a path from each node to each other node.