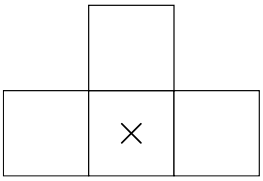
T - Covering

If you have ever played Tetris, you might know that one of the figures looks as follows:



We will call this figure a *T-tetromino*; a *tetromino* is just a fancy word for a connected geometric figure composed of four cells. The cell marked with $\times$ will be called the *center cell*.

Manca draws a rectangular grid with m rows and n columns and writes a number into each cell. The rows of the table are numbered from 0 to $m-1$ and the columns are numbered from 0 to $n-1$. She also marks some cells as *special*, e.g., by painting them red. After that, she asks Nika, a friend of hers, to place T-tetrominoes on the grid in such a way that the following conditions are met:

- The number of T-tetrominoes has to be the same as the number of special cells. For each T-tetromino, its center cell has to lie on some special cell.
- No pair of T-tetrominoes may overlap.
- All T-tetrominoes have to completely lie on the grid.

Note that there are four possible orientations of each T-tetromino ($\top$, $\perp$, $\vdash$, and $\dashv$).

If the conditions cannot be satisfied, Nika should answer *No*; if they can, she has to find such a placement of T-tetrominoes that the sum of the numbers in the cells covered by the T-tetrominoes is maximum possible. In this case, she has to tell Manca the maximum sum.

Write a program to help Nika solve the riddle.

Input

Each line contains a sequence of integers separated by a single space.

The first line of the input contains the integers m and n. Each of the following m lines contains n integers from the interval $[0, 1000]$. The j-th integer in the i-th line represents the number written in the j-th cell of the i-th row of the grid. The next line contains an integer $k \in \{1, \ldots, mn\}$. This line is followed by k more lines, each of which consists of integers $r_i \in \{0, \ldots, m-1\}$ and $c_i \in \{0, \ldots, n-1\}$, which represent the position (the row index and column index, respectively) of the i-th special cell. The list of special cells does not contain any duplicates.

Output

Print the maximum possible sum of the numbers in the cells covered by the T-tetrominoes, or `No` if no valid placement of T-tetrominoes exists.

Constraints

- $1 \le mn \le 10^6$.

Subtasks

- **5 points:** $k \le 1000$; for each pair of distinct special cells i and j, we have $|r_i - r_j| > 2$ or $|c_i - c_j| > 2$.
- **10 points:** $k \le 1000$; for each pair of distinct special cells i and j, it holds that if $|r_i - r_j| \le 2$ and $|c_i - c_j| \le 2$, then (r_i, c_i) and (r_j, c_j) are adjacent by side, or more formally the following statement is true ($|r_i - r_j| = 1$ and $|c_i - c_j| = 0$) or ($|r_i - r_j| = 0$ and $|c_i - c_j| = 1$).
- **10 points:** $k \le 1000$; for each pair of distinct special cells i and j, it holds that if $|r_i - r_j| \le 2$ and $|c_i - c_j| \le 2$, then $|r_i - r_j| \le 1$ and $|c_i - c_j| \le 1$.
- **10 points:** $k \le 1000$; all special cells lie in the same row.
- **15 points:** $k \le 10$.
- **20 points:** $k \le 1000$.
- **30 points:** no additional constraints.

Example 1

Input

```
5 6
7 3 8 1 0 9
4 6 2 5 8 3
1 9 7 3 9 5
2 6 8 4 5 7
3 8 2 7 3 6
3
1 1
2 2
3 4
```

Output

```
67
```

Comment

To achieve the maximum sum, Nika may place the tetrominoes as follows:

- $\dashv$ on the cell (1, 1);
- $\vdash$ on the cell (2, 2);
- $\perp$ on the cell (3, 4).

Example 2

Input

```
5 6
7 3 8 1 0 9
4 6 2 5 8 3
1 9 7 3 9 5
2 6 8 4 5 7
3 8 2 7 3 6
3
1 1
2 2
3 3
```

Output

```
No
```